

# Complexity of EEG During Sleep Onset Process

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## Abstract

This study was concentrated on changes of complexity of EEG signals during the transition from relaxed state to sleep onset. The ability of correlation dimension  $D_2$  and fractal exponent  $\gamma$  to discriminate these slightly distinct states was examined. Both measures indicated that brain was less complex system during sleep onset than during the relaxation; however,  $\gamma$  appeared to be more sensitive and better in characterizing various states of brain.

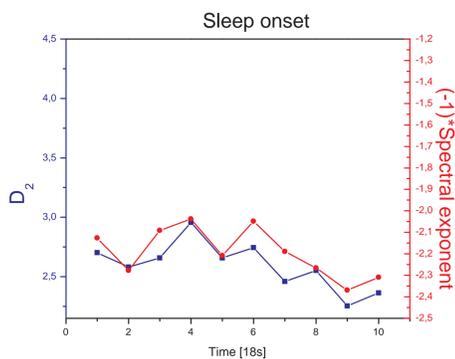


Figure 1: Evolution of  $D_2$  and  $(-1)\gamma$  during sleep onset process; average from 12 signals and over all derivations of EEG

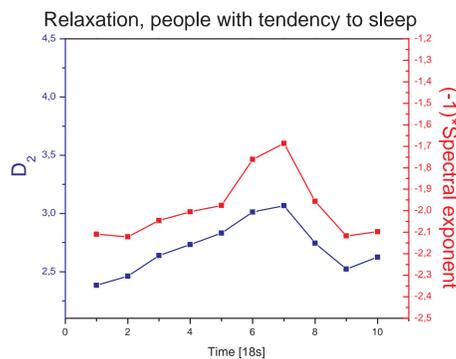


Figure 2: Evolution of  $D_2$  and  $(-1)\gamma$  during relaxation, people with tendency to oversleep; average from 12 signals and over all derivations of EEG

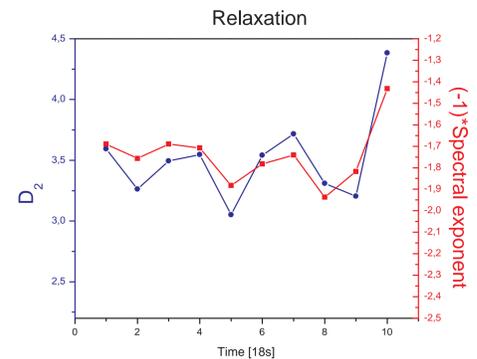


Figure 3: Evolution of  $D_2$  and  $(-1)\gamma$  during relaxation; average from 12 signals and over all derivations of EEG

## 1. Introduction

In sleep research and also in clinical practice Rechtschaffen and Kales system [1] for scoring sleep states and vigilance is widely used. In the case of sleep - wakefulness transition three states of vigilance are important: wakefulness, Stages 1 and 2 of non rapid eyes movement sleep. Hori et al. [2] subclassified these three classical stages into 9 novel stages that described more precisely the process of sleep onset. After Hori's system sleep onset process begins with reduction of alpha activity below 50 % of the scored epoch and ends with appearance the wave patterns sleep spindles or K-complex in the Stage 2. In this study the ability of two complexity measures correlation dimension and fractal (spectral) exponent to catch the process of sleep onset was examined.

## 2. Methods

- Correlation dimension  $D_2$  was computed after Grassberger - Procaccia algorithm [3]. After embedding signals into the phase space the correlation sum is computed:

$$C_2(\epsilon) = \frac{2}{(N)(N-1)} \sum_{i=0}^N \sum_{j>i}^N \Theta(\epsilon - \|x_i - x_j\|), \quad (1)$$

where  $x_i, x_j$  are vectors in the phase space,  $N$  is the number of vectors and  $\Theta(\epsilon - \|x_i - x_j\|)$  is the Heaviside function, which is equal one if the pair of vectors  $x_i, x_j$  are less than a geometrical distance  $\epsilon$  and zero otherwise. Then,  $D_2$  is defined as:

$$D_2 = \lim_{\epsilon \rightarrow 0} \lim_{N \rightarrow \infty} \frac{\ln C_2(\epsilon)}{\ln \epsilon} \quad (2)$$

$C_2$  is computed for several values of embedding dimension  $m$ . For deterministic signals  $C_2(\epsilon)$  shows a power-law behavior, so if the local slope of  $\ln C_2$  is taken against  $\ln \epsilon$ , then the value of the plateau gives the estimate of  $D_2$ .

- Fractal exponent  $\gamma$ : power spectra of fractal stochastic signals show power-law behavior with  $1/f^\gamma$ . So,  $\gamma$  is computed as the slope of linear fit of the power spectrum density in the double logarithmic graph. Fractal exponent  $\gamma$  was found to be negatively correlated with  $D_2$ , so for less complex signal  $D_2$  shows lower value and  $\gamma$  higher value [4].

## 3. Data

Data came from a relaxation experiment, in which 8 healthy subjects were trained in relaxation during 25 sessions. Four subjects overslept several times. 3 min. long EEG from 6 channels was recorded, EEG derivations were: C3P3, C4P4, F3C3, F4C4, P3O1, and P4O2 after international 10-20 electrode placement system. EEG was sampled at 500 Hz and filtered from 0,75 Hz. After subjective scoring the records were selected into two groups: records of sleep onset (36 files) and records of relaxation state (339 files).

## 4. Results and Conclusions

- The whole mean over 8 subjects and all EEG derivations:  
 $D_2 = 4,41 \pm 0,6$  for relaxed data and  $D_2 = 3,95 \pm 0,46$  for sleep onset data  
 $\gamma = 2,24 \pm 0,34$  for relaxed data and  $\gamma = 2,59 \pm 0,21$  for sleep onset data
- With regard to topographic characteristics of brain  $D_2$  and  $\gamma$  were averaged over signals with the same EEG derivation. The highest relative difference between relaxation and sleep onset appeared in the occipital area (especially in p4o2); for  $D_2$  it was and 14,27% and for  $\gamma$  -21,48%.
- With the aim to reveal possible intersubject differences  $D_2$  and  $\gamma$  were averaged over all channels for individual subject. Interesting findings were observed; subjects with tendency to oversleep (four subjects) showed lower  $D_2$  during relaxation than subjects that had never overslept. Subjects were divided into two subgroups after this tendency to oversleep, the averaged value of  $D_2$  and  $\gamma$  for these two subgroups are in Table 1.

	Relaxation		Sleep onset	
	$D_2$	$\gamma$	$D_2$	$\gamma$
Tendency to oversleep	4,04 ± 0,46	2,45 ± 0,21	3,95 ± 0,46	2,59 ± 0,21
No tendency to oversleep	4,68 ± 0,46	2,09 ± 0,24	-	-

Table 1: Mean and standard deviation of  $D_2$  and  $\gamma$  for subgroups of subjects with and without the tendency to oversleep.

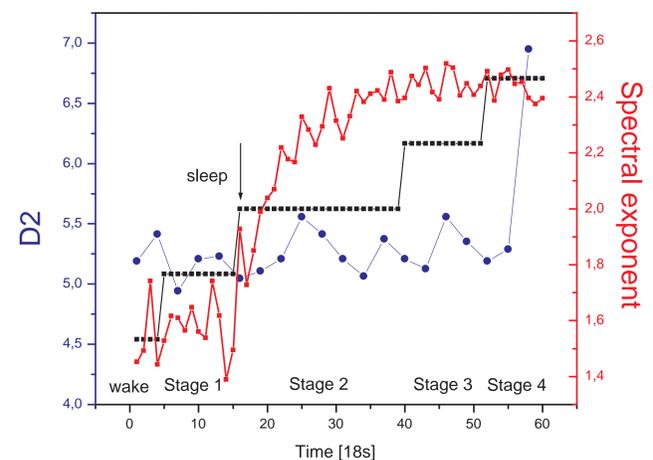


Figure 4:  $D_2$  and  $\gamma$  computed for first 60 epochs epochs of 30s, scored EEG, EEG Stages are labeled with black squares

- Furthermore the ability of both measures to catch the process of sleep onset was examined.  $D_2$  and  $\gamma$  were computed for EEG fragmented into 10 equal epochs, so 1 epoch was 18s long and has 8700 points. The average behaviors of  $D_2$  and  $\gamma$  for all three groups of signals - with sleep onset, relaxation of the subjects with and without the tendency to oversleep are on Figures 1-3. During the sleep onset  $D_2$  is evidently decreasing from the 4. epoch in contrast with both relaxations. The unusual differences in  $D_2$  and  $\gamma$  between subgroups with and without tendency to oversleep were confronted with the ability to improve the relaxation during the training process (25 sessions). Several authors found that long-term averaged decrease of  $D_2$  was a sign of improving relaxation. In this study the tendency not to oversleep was highly correlated with higher trend in improving the relaxation.
- Finally, the behaviour of  $D_2$  and  $\gamma$  was tested on data scored for sleep stages provided by Prof. G. Dorffner, received by The Siesta Group Schlafanalyse GmbH.  $\gamma$  was computed from 30s long EEG signals,  $D_2$  was computed from 90s long signals, from less points it was not possible to determine  $D_2$ . The results can be seen on Figure 4. It is evident that  $\gamma$  catches the process of sleep onset much better than  $D_2$ ; the correlation coefficient between  $\gamma$  and values of sleep stages was 86%.

## References

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